

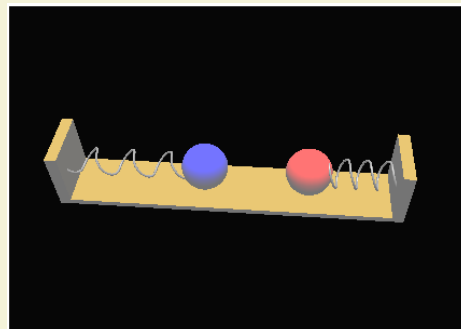
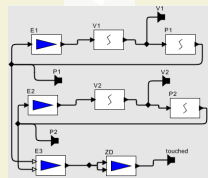
Visual Simulation of Electromechanical Systems in Ptolemy II

C. Fong
J. Eker

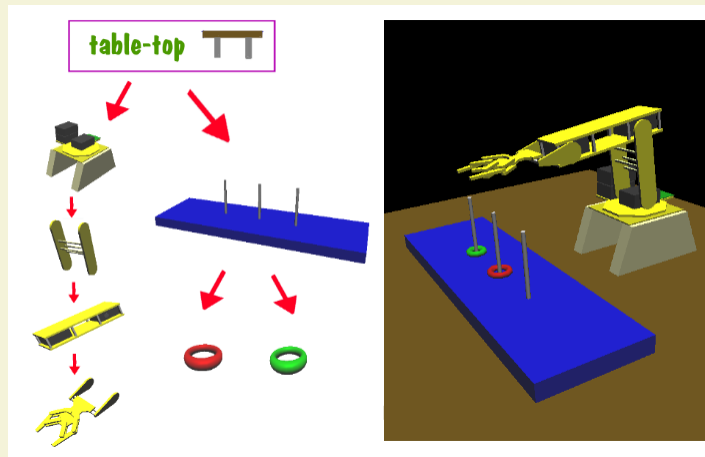
Ptolemy Miniconference
Berkeley, CA, March 22-23, 2001



Sticky Masses Revisited

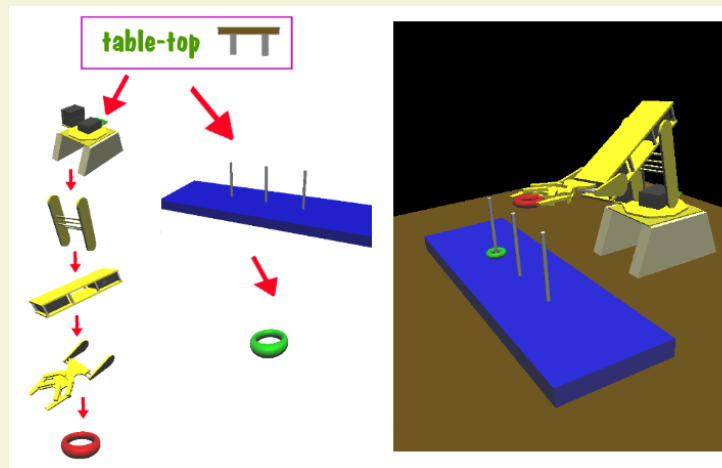


Scene Graphs



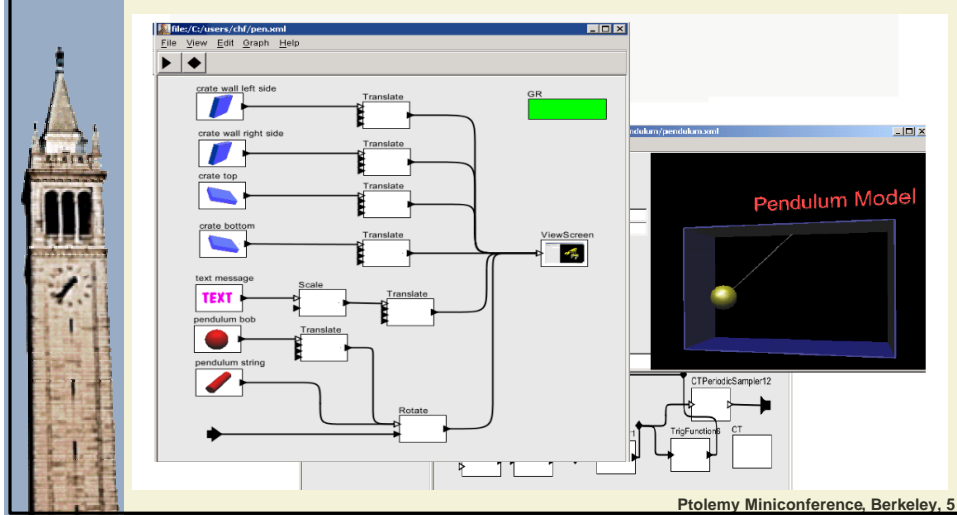
Ptolemy Miniconference, Berkeley, 3

Scene Graphs (cont ...)

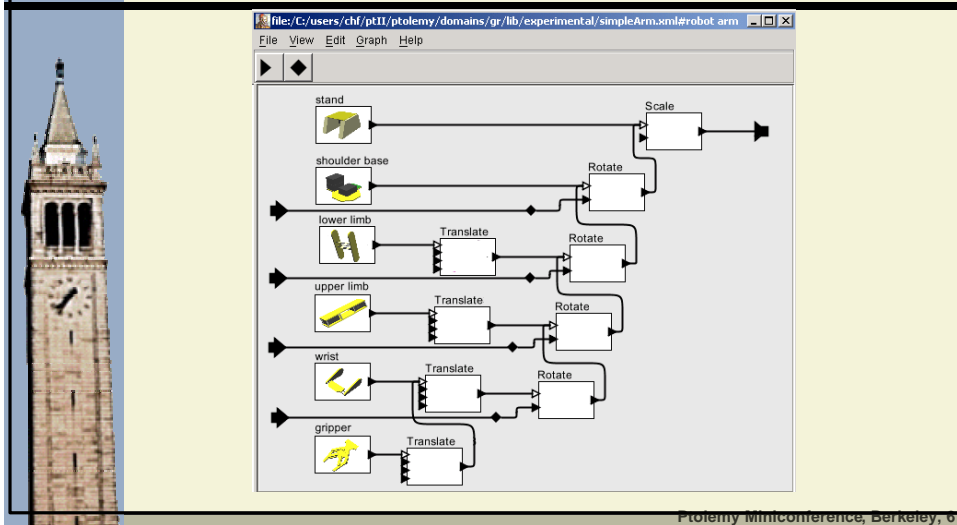


Ptolemy Miniconference, Berkeley, 4

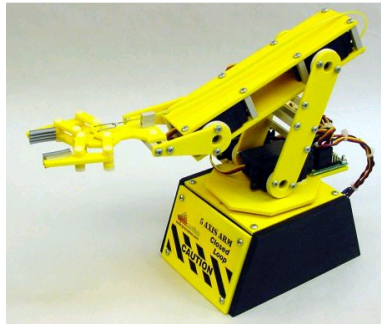
GR Domain



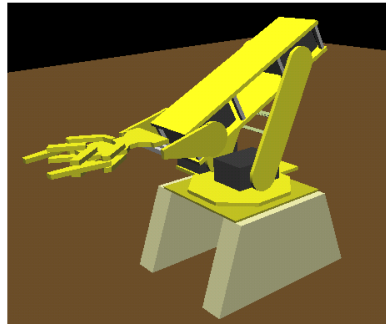
Robot Arm Scene Graph



Robot Arm Simulation



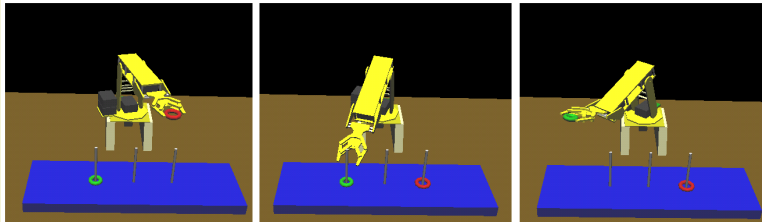
**REAL ROBOT
CONTROLLED BY PTOLEMY II**



**SIMULATED ROBOT
IN PTOLEMY II**

Ptolemy Miniconference, Berkeley, 7

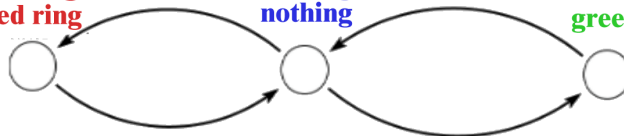
Application of *charts



**state #1:
holding
red ring**

**state #2:
holding
nothing**

**state #3:
holding
green ring**



Ptolemy Miniconference, Berkeley, 8

Furuta Pendulum Simulation

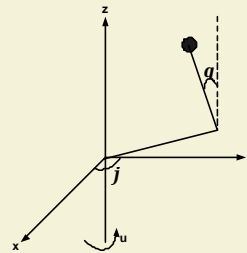


Ptolemy Miniconference, Berkeley, 9

The System



- highly nonlinear
- four states
 - the pendulum angle q ,
 - and its velocity \dot{q}
 - the arm angle f ,
 - and its velocity \dot{f}
- the equations



- u is the input signal
- $(J_p + Ml^2)(\ddot{q} - \dot{f}^2 \sin q \cos q) + Mr l \ddot{f} \cos q - gl(M + m/2) \sin q = 0$
- $Mrl \ddot{q} \cos q - Mrl \dot{q}^2 \sin q + 2(J_p + ml^2) \ddot{f} \sin q \cos q + (J + mr^2 + Mr^2 + (J_p + ml^2) \sin^2 q) \ddot{f} = u$

Ptolemy Miniconference, Berkeley, 10

The Controller



- start the pendulum in the downright position
- assume that all signals may be measured
- use one controller to swing it up
 - energy based approach
- use another to catch
 - linear state feedback
- use a third to stabilize it
 - linear state feedback
- implemented using CT+FSM+SDF+GRAPHICS

Ptolemy Miniconference, Berkeley, 11

Linear State Feedback



- linearize the system around the top angle

$$\dot{x} = \begin{bmatrix} 0 & 1 & 0 & 0 \\ \mathbf{a} & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ \mathbf{g} & 0 & 0 & 0 \end{bmatrix} x + \begin{bmatrix} 0 \\ \mathbf{b} \\ 0 \\ \mathbf{e} \end{bmatrix} u, \quad y = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} x$$

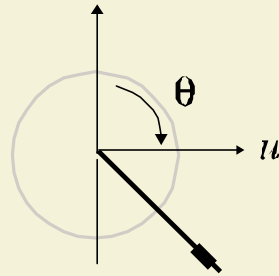
- the control law
 - $u = -[l_1 \quad l_2 \quad l_3 \quad l_4]x$
- two flavors
 - catch
 - stabilize

Ptolemy Miniconference, Berkeley, 12

Swing-up Controller

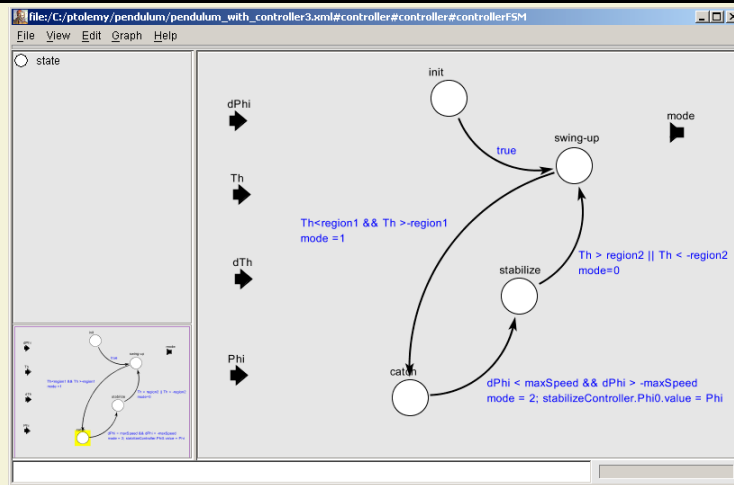


- control the energy of the pendulum
- total energy=kinetic+potential
 - $E = m(\dot{q}l)^2 / 2 + mgl(\cos q - 1)$
- the control law
 - $u = \text{sat}(k(E_n - E_o) \text{sign}(\dot{q} \cos q))$



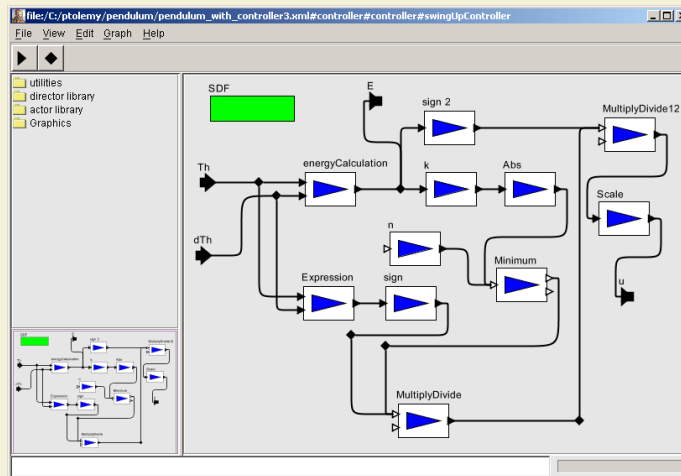
Ptolemy Miniconference, Berkeley, 13

The Finite State Machine



Ptolemy Miniconference, Berkeley, 14

The Swing-up Controller



Ptolemy Miniconference, Berkeley, 15

Summary

- Framework for visualization of Ptolemy models
- Based on Java 3D
- Easy to animate an existing model
- Future work:
 - Allow to interact with the 3D model
 - Add textures
 - Define semantics for the GR domain

Ptolemy Miniconference, Berkeley, 16