# **Distributed Control-as-a-Service**with Wireless Swarm Systems

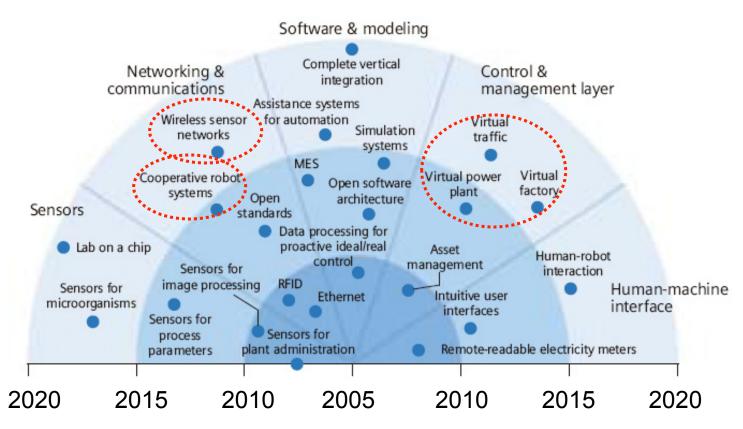
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# Discrete and Process Wireless Control



Wireless Control/Actuation ← Wireless Monitoring → Wireless Control/Actuation





## Our Focus: Industrial Control Systems







Natural gas processing plants

**Oil-refineries** 

Paper pulp manufacturing

\$120 Billion/Year market

PLC Architectures and Software are from the mid-1980s to early-1990

#### **Software Issues with Industrial Automation**



- Automotive assembly lines lose over \$22,000/minute downtime
- Systems are rigid, difficult to maintain, operate and diagnose

Goal: Plug-n-Play Wireless Automation Control Systems





#### **Advantages of**

# wireless control system architectures

#### 1) Plug-n-Play capabilities:

Minimizes downtime with efficient recovery from controller faults as re-connecting the logical I/O lines of a wireless backup controllers is seamless.



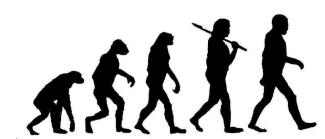
#### 2) Compositionality:

Enables system evolution through logical expansion/ contraction of plants and controllers with composable control systems. Suitable for emerging markets.



#### 3) Runtime adaptation:

Control stability and performance are maintained in the presence of node, link and topological changes.



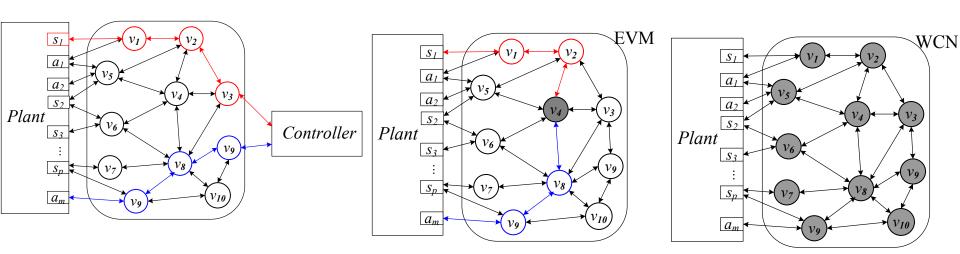
#### **Two Disruptive Approaches for Wireless Control**

#### A Embedded Virtual Machines

- Runtime abstraction of wireless control
- Controller tasks migrate across physical nodes
- Robust to topological changes

# B Wireless Control Network

- Fully distributed in-network approach
- Low computational overhead and simple, static scheduling
- Enables plant & controller composition



Published in: IEEE WCPS 2009, RTAS'10, CDC<sub>1</sub>'10, CDC<sub>2</sub>'10, ACM TECS'11, IEEE TAC'11, CDC'11, ACC'11, CDC'12, IPSN'12, JSAC'12, IISc'13...

# **Embedded Virtual Machines**

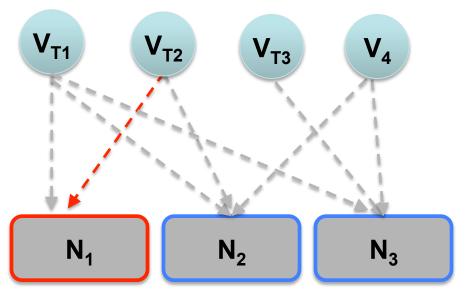
For Robust Wireless Control



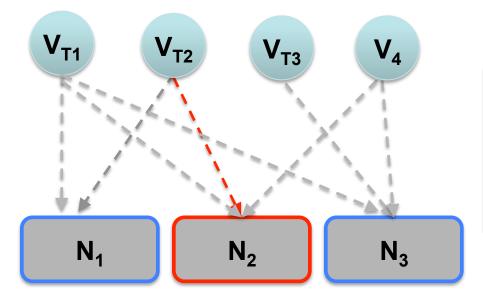


#### The Core Idea

# Virtual Task to Physical Resource Mapping



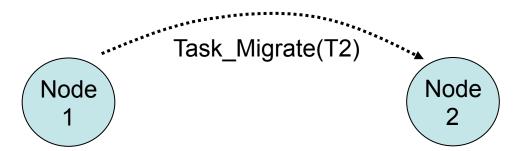
V1	1	N1	active	1s	100ms
V1	1	N3	backup 1s		50ms
V1	1	N2	dormant	1s	100ms
V2	0	N2	active	0.5s	50ms
V2	1	N1	backup	0.5s	50ms
V2 V3	1	N1 N3	backup active	0.5s 0.5s	50ms 200ms
	1 1 1				



V1	1	N1	active	1s	100ms
V1	1	N3	backup	1s	50ms
V1	1	N2	dormant	1s	100ms
V2	1	N1	active	0.5s	50ms
V3	1	N3	active	0.5s	200ms
V4	1	N2	active	0.25s	200ms
V4	1	N3	backup	0.25s	100ms

# **Runtime Task Management**

- Task Migrate
  - Task instructions
  - Stack
  - Data
  - Associate libraries
  - Control/Schedule/Resource meta data

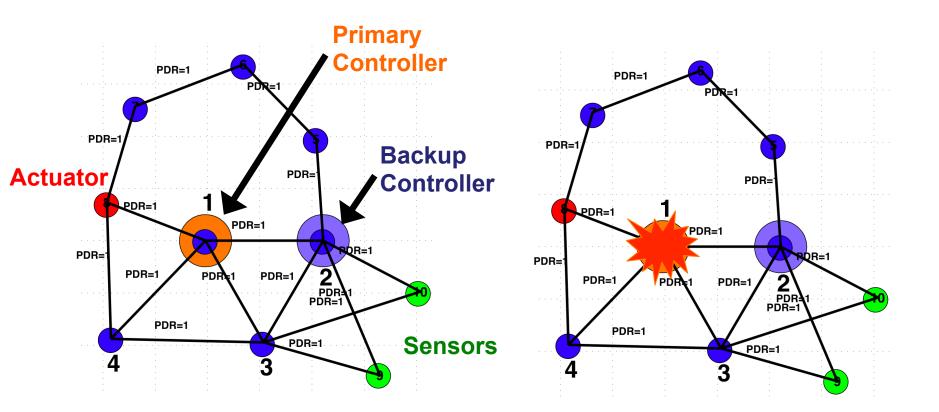


Current Task-set: T1, T2, T3 Current Task-set: T'1, T'2, ..., T'7





# **Example: When Routing Fails** → **Migrate**

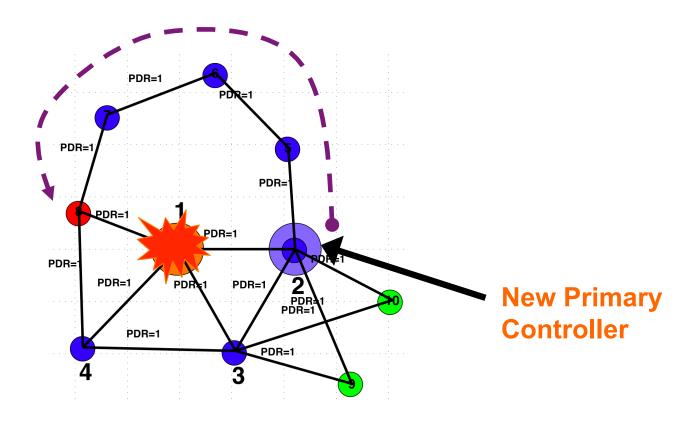






**Example: When Routing Fails → Migrate** 

# What if we just used the backup and re-routed the control path?

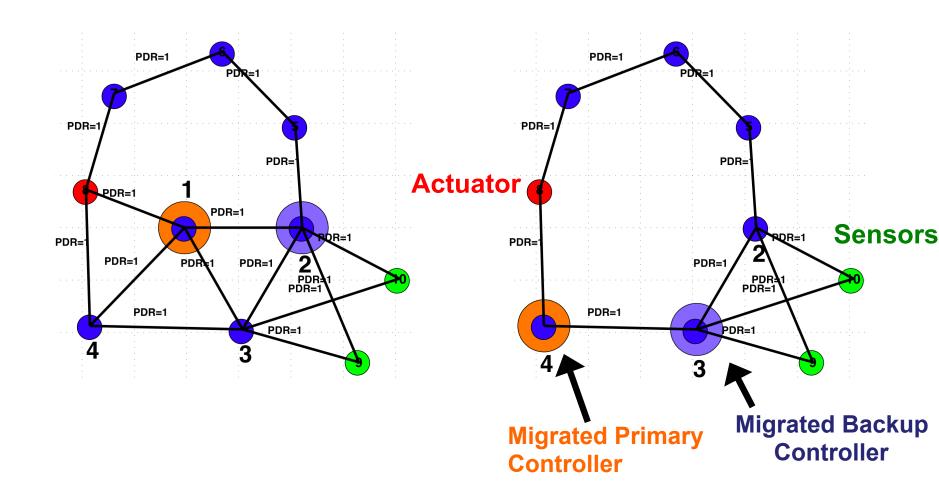


Routing from Backup Controller to Actuator fails to meet Stability Constraint





# **Example: When Routing Fails -> Migrate**

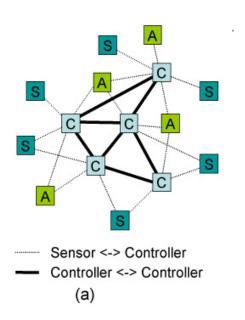






#### **Embedded Virtual Machines**

 Distributed runtime system that dynamically selects primarybackup sets of controllers to guarantee QoS given spatial and temporal constraints of the underlying wireless network.



 Algorithms to program virtual components and maintain functional and para-functional invariants across the system.

Focus on controller reliability and fault tolerance

#### The Goal

- Maintain Functional Invariant
  - Control Law

**Control Stability** 

- Maintain Para-Functional Invariants
  - Timeliness, reliability, fault-tolerance
- Predictable outcomes in presence of controller / link failures
  - For planned changes
- Graceful degradation without violating safety

Reliability

- For unplanned changes
- Composability: for multiple plants at runtime
  - Increase functionality or respond failure

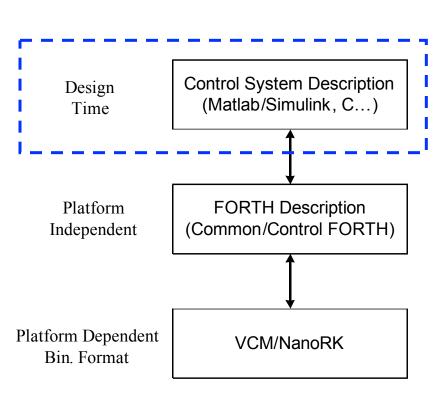
Composition

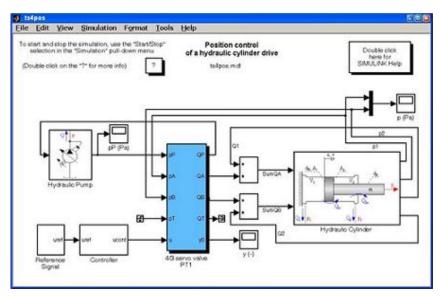
- Adaptive Runtime Resource Re-appropriation
  - Optimization for Dynamic changes in service/throughput





# **EVM Design Flow Design Time with Simulink**

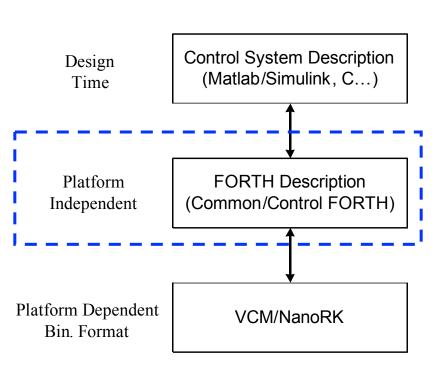








# **EVM Design Flow Domain Specific Language Interpreter**

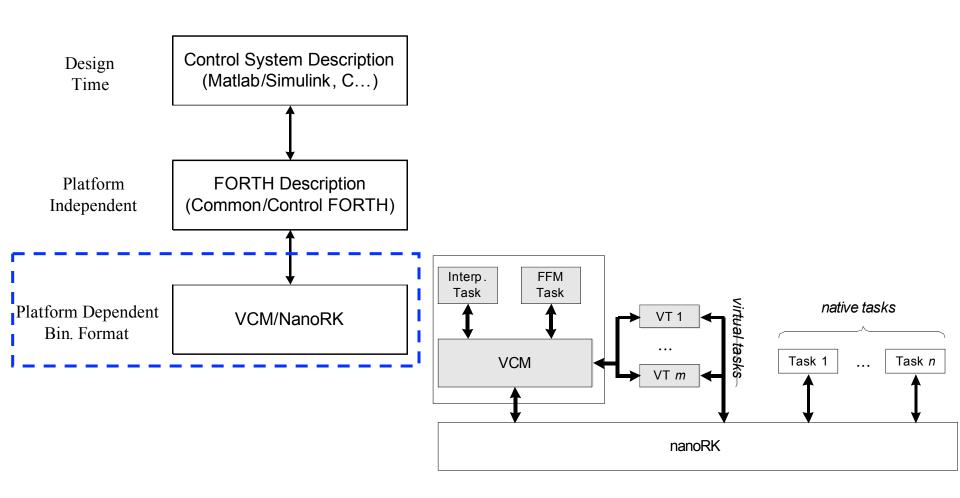


```
01 CONSTANT PORT
                                                \ Port assignments
 /bit-mask
             name bit-mask
                                    name
                           8 CONSTANT
                                          FAUCET
 1 CONSTANT MOTOR
 2 CONSTANT CLUTCH
                           16 CONSTANT DETERGENT
 4 CONSTANT PUMP 32 CONSTANT LEVEL
                                                \ Device control
: ON ( mask -- ) PORT C@ OR PORT C!;
: OFF ( mask -- ) INVERT PORT C@ AND PORT C!;
                                                \ Timing functions
: SECONDS (n -- ) 0 ?DO 1000 MS LOOP :
: MINUTES (n --) 60 * SECONDS;
: TILL-FULL ( -- ) BEGIN PORT C@ LEVEL AND UNTIL; \ Wait till level switch is on
                                                 \ Washing machine
: ADD ( mask -- ) DUP ON 10 SECONDS OFF;
: DRAIN ( -- ) PUMP ON 3 MINUTES ;
: AGITATE ( -- ) MOTOR ON 10 MINUTES MOTOR OFF ;
: SPIN ( -- ) CLUTCH ON MOTOR ON 5 MINUTES MOTOR OFF CLUTCH OFF
     PUMP OFF :
: FILL-TUB ( -- ) FAUCET ON TILL-FULL FAUCET OFF;
                                                 \ Wash cycles
: WASH ( -- ) FILL-TUB DETERGENT ADD AGITATE DRAIN;
: RINSE ( -- ) FILL-TUB AGITATE DRAIN;
: WASHER ( -- ) WASH SPIN RINSE SPIN;
                                                \ Top-level control
```





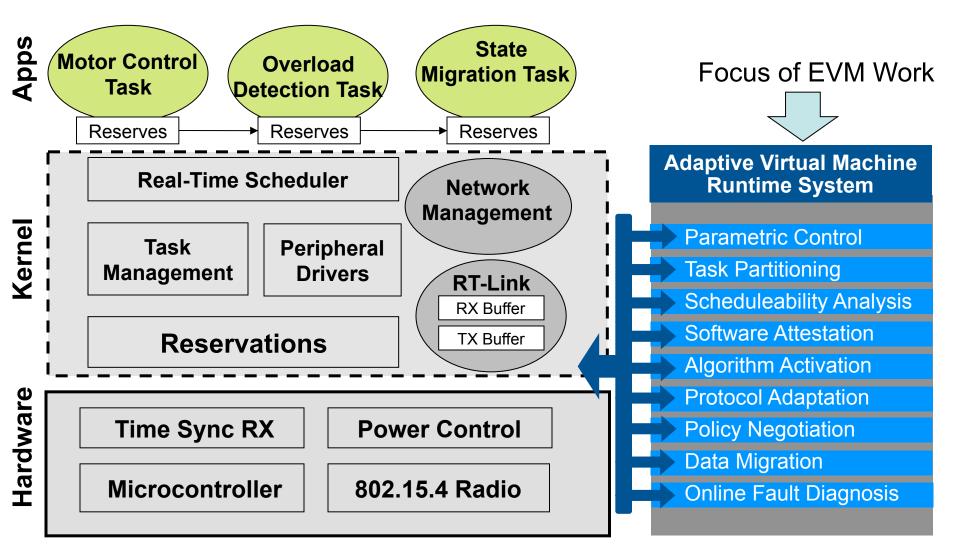
# **EVM Design Flow Platform Dependent Binary**







# Embedded Virtual Machine Architecture



**Runtime Parametric and Programmatic Control** 

# Wireless Control Network

A Simple Distributed Method for Control over Wireless Networks

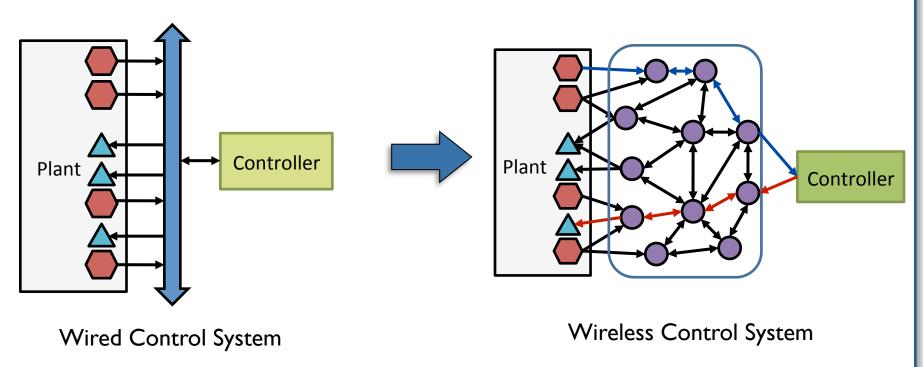




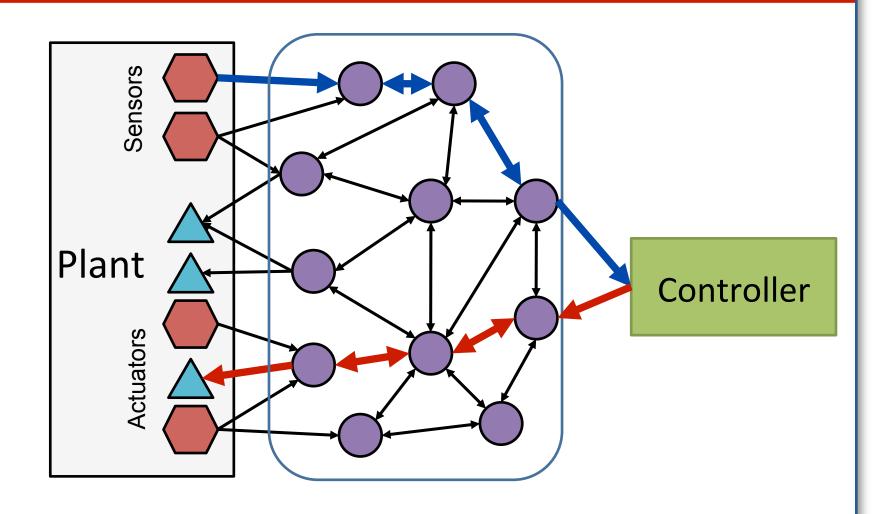
# Goal: Use multi-hop wireless networks for closed-loop control Move from open-loop monitoring to distributed control!

For the past 40 years control architectures have been based on wired networks

- Sensors ( ) and Actuators ( ) are installed on a plant
- Communicate with controller ( ) over a wired network

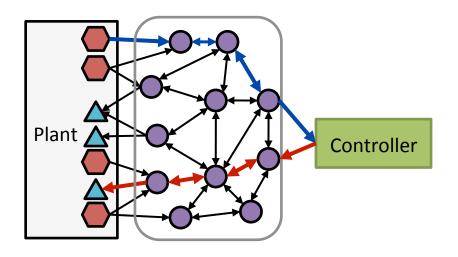


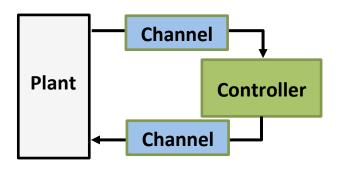
# Route assignment is static





#### Control System's view of the Network





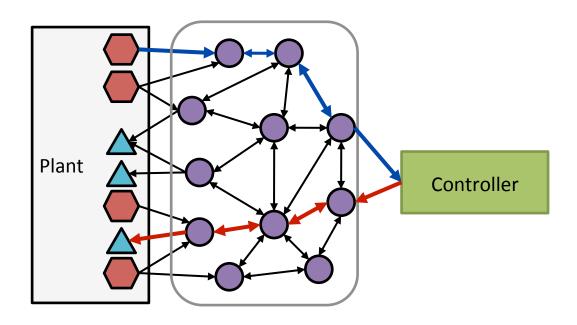
Abstracts away system design to an ideal network

#### Route assignment is static

Control problems impose strict delay requirements



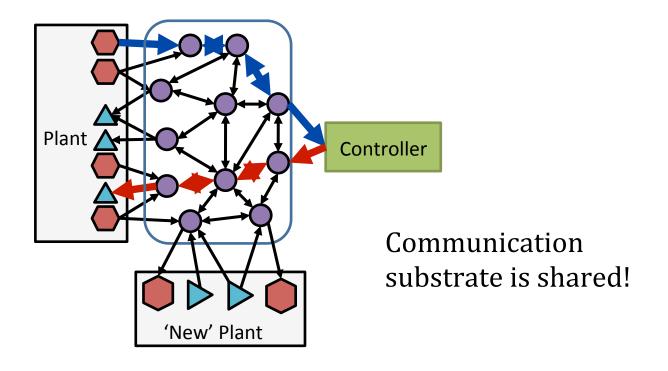
#### Why we need Distributed Control?



- Problem I: Changes involve global reorganization
  - Requires significant software support (e.g., EVM, Etherware)



# Networks for industrial automation systems are usually shared among several control loops!

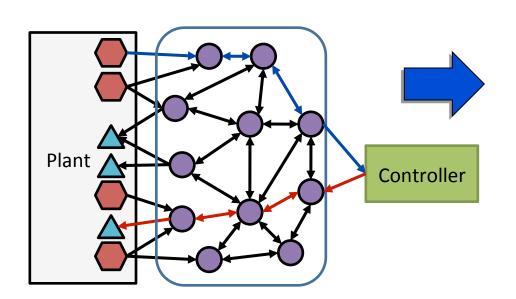


- Problem II: New feedback loops might affect the existing loops
  - requires full schedule recalculation (problem at runtime)

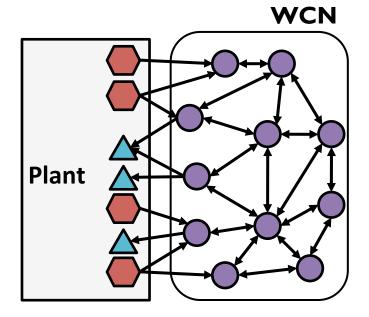
It is necessary to provide a composable control scheme!

#### Multi-hop Control Networks: Architectures

- Sensors ( $\bigcirc$ ) and Actuators ( $\triangle$ ) are installed on a *plant*
- Communicate with controllers ( ) over a wireless network



Out-of-network computation



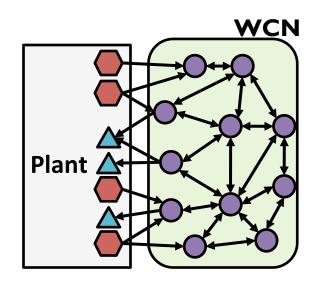
**Distributed** In-network computation



#### Outline: Control-as-a-Service

A simple distributed method for control over wireless networks

- 1. Wireless Control Networks (WCNs)
- 2. Modeling
- 3. Synthesis of Optimal WCNs
- 4. Robustness
- 5. Case Study

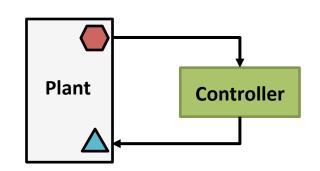




#### Standard Feedback Control Schemes

Linear-Time Invariant model of the plant:

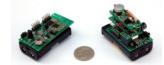
$$\mathbf{x}[k+1] = \mathbf{A}\mathbf{x}[k] + \mathbf{B}\mathbf{u}[k] + \mathbf{B}_{\mathbf{w}}\mathbf{u}_{w}[k]$$
$$\mathbf{y}[k] = \mathbf{C}\mathbf{x}[k],$$



Linear dynamic feedback controllers:

$$\mathbf{x_c}[k+1] = \mathbf{A_c}\mathbf{x}_c[k] + \mathbf{B_c}\mathbf{y}[k]$$
$$\mathbf{u}[k] = \mathbf{C_c}\mathbf{x}_c[k] + \mathbf{D_c}\mathbf{y}[k]$$

- Goal: Leverage the computational capability in the network
- Each node acts as a local linear dynamical controller



- Resource constrained nodes → Small states
- States of the nodes' neighbors are considered as inputs!

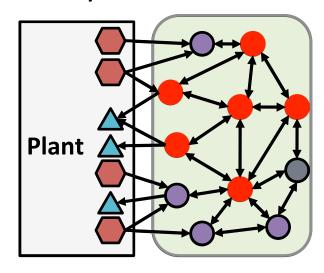


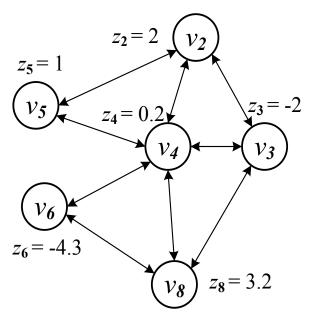


#### **Linear Iterative Scheme**

- Each node maintains its (possibly vector) state
  - Transmits state exactly once in each step (per frame)
  - Updates state using linear iterative strategy

#### • Example:





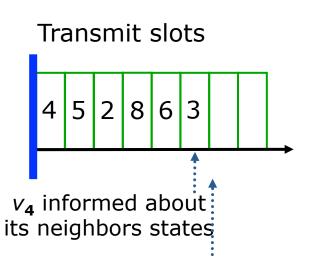


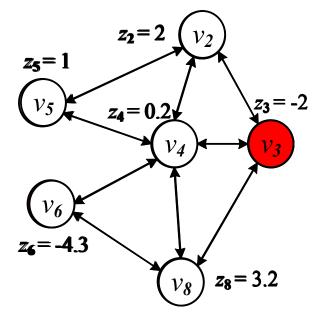
Initial state

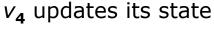
#### Linear Iterative Scheme

- Each node maintains its (possibly vector) state
  - Transmits state exactly once in each step (per frame)
  - Updates state using linear iterative strategy
- Example:

Engineering







SSHUR Hayattans mitts

## **WCN Modeling**

- Each node maintains state  $z_i[k]$
- Node state update procedure:

$$z_{i}[k+1] = w_{ii}z_{i}[k] + \sum_{v_{j} \in \mathcal{N}_{v_{i}}} w_{ij}z_{j}[k] + \sum_{s_{j} \in \mathcal{N}_{v_{i}}} h_{ij}y_{j}[k]$$

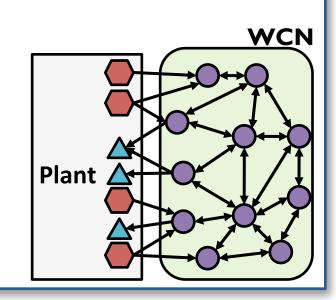
**From neighbors** 

From sensors

• Actuator update procedure:

$$u_i[k] = \sum_{j \in \mathcal{N}_{a_i}} g_{ij} z_j[k] \qquad \begin{array}{l} \text{From actuator's neighbors} \end{array}$$

Each node acts as part of a dynamical compensator



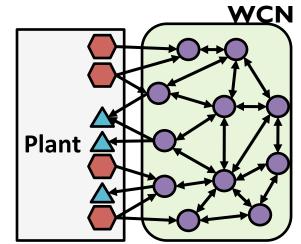
### **WCN Modeling**

#### Network acts as a linear dynamical compensator

$$\mathbf{z}[k+1] = \underbrace{\begin{bmatrix} w_{11} & w_{12} & \cdots & w_{1N} \\ w_{21} & w_{22} & \cdots & w_{2N} \\ \vdots & \vdots & \ddots & \vdots \\ w_{N1} & w_{N2} & \cdots & w_{NN} \end{bmatrix}}_{\mathbf{W}} \mathbf{z}[k] + \underbrace{\begin{bmatrix} h_{11} & h_{12} & \cdots & h_{1p} \\ h_{21} & h_{22} & \cdots & h_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ h_{N1} & h_{N2} & \cdots & h_{Np} \end{bmatrix}}_{\mathbf{H}} \mathbf{y}[k]$$

$$\mathbf{u}[k] = \begin{bmatrix} g_{11} & g_{12} & \cdots & g_{1N} \\ g_{21} & g_{22} & \cdots & g_{2N} \\ \vdots & \vdots & \ddots & \vdots \\ g_{m1} & g_{m2} & \cdots & g_{mN} \end{bmatrix} \mathbf{z}[k]$$

**Structural constraints:** Only elements corresponding to existing links (link weights) are allowed to be non-zero



# WCN modeling: Closing the loop

Overall system state:

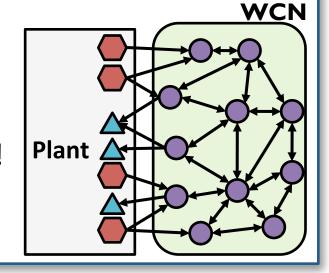
$$\hat{\mathbf{x}}[k] = \begin{vmatrix} \mathbf{x}[k] \\ \mathbf{z}[k] \end{vmatrix}$$
 —— plant —— network

Closed-loop system:

$$\hat{\mathbf{x}}[k+1] = \underbrace{\begin{bmatrix} \mathbf{A} & \mathbf{BG} \\ \mathbf{HC} & \mathbf{W} \end{bmatrix}}_{\hat{\mathbf{A}}} \underbrace{\begin{bmatrix} \mathbf{x}[k] \\ \mathbf{z}[k] \end{bmatrix}}_{\hat{\mathbf{x}}[k]} + \underbrace{\begin{bmatrix} \mathbf{B}_w \\ \mathbf{0} \end{bmatrix}}_{\hat{\mathbf{B}}} \mathbf{u}_w$$

- Matrices W, G, H are structured
- Sparsity constraints imposed by topology!





## Advantages: Simple & Powerful

#### Low overhead





Easily incorporated into existing wireless networks
 (e.g., ISA100.11a or wirelessHART)

#### Simple scheduling

- Each node needs to transmit only once per frame
- Static (conflict-free) schedule

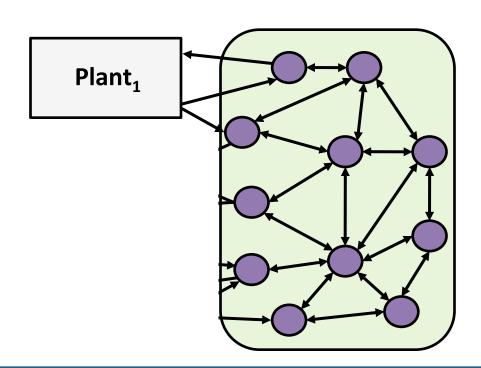
#### No routing!

Easily deals with multiple sensing/actuation points

# Advantages: Compositionality

- Adding new control loops is easy!
  - Does not require any communication schedule recalculation
- WCN configurations can be combined

Stable configuration  $(\mathbf{W}_1,\mathbf{H}_1,\mathbf{G}_1)\in\Psi$ 



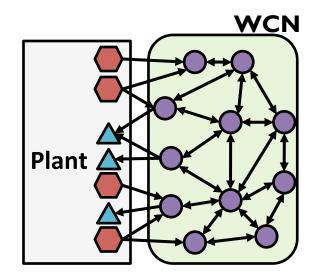


#### Outline

A simple distributed method for control over wireless networks

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- 3. Synthesis of Optimal WCNs
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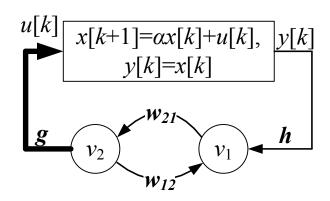
$$\hat{\mathbf{x}}[k+1] = \underbrace{\begin{bmatrix} \mathbf{A} & \mathbf{BG} \\ \mathbf{HC} & \mathbf{W} \end{bmatrix}}_{\hat{\mathbf{A}}} \underbrace{\begin{bmatrix} \mathbf{x}[k] \\ \mathbf{z}[k] \end{bmatrix}}_{\hat{\mathbf{x}}[k]} + \underbrace{\begin{bmatrix} \mathbf{B}_w \\ \mathbf{0} \end{bmatrix}}_{\hat{\mathbf{B}}} \mathbf{u}_w$$





#### Robustness to Link Failures

Example

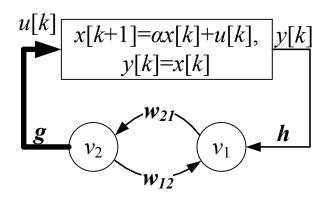


• Maximal message drop probability which guarantees MSS,  $\alpha$ =2

	WCN	WCN	oWCN	oWCN
	(scalar state)	$(\mathbb{R}^2 \text{ state})$	(scalar state)	$(\mathbb{R}^2 \text{ state})$
N=2	$p_m = 1.18\%$	$p_m = 1.30\%$	$p_m = 10.46\%$	$p_m = 17.82\%$
N=3	$p_m = 1.32\%$	$p_m = 1.46\%$	$p_m = 11.24\%$	$p_m = 17.88\%$
N=4	$p_m = 1.41\%$	$p_m = 1.54\%$	$p_m = 11.46\%$	$p_m = 17.88\%$
		oWCN	oWCN	oWCN
		$(\mathbb{R}^3 \text{ state})$	$(\mathbb{R}^4 \text{ state})$	$(\mathbb{R}^5 \text{ state})$
N=2		$p_m = 20.40\%$	$p_m = 20.48\%$	$p_m = 20.64\%$

#### Robustness to Link Failures

Example – WCN with observer style updates



For  $\alpha$ =2, maximal message drop probability which guarantees MSS

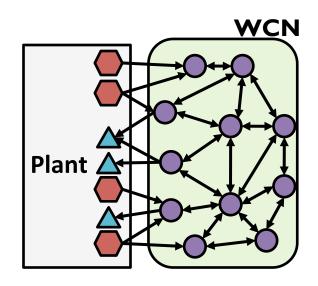
$$p_{max} \approx 21\% < 25\%$$

Approaching theoretical limit for robustness with centralized controllers!

#### Outline

A simple distributed method for control over wireless networks

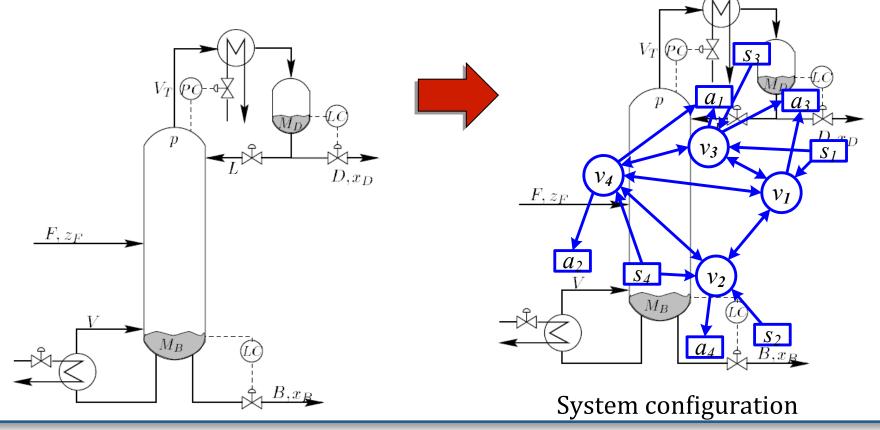
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- Distillation column control
  - Plant **continuous-time** model contains 8 states, 4 inputs, 4 outputs

Distillation column structure

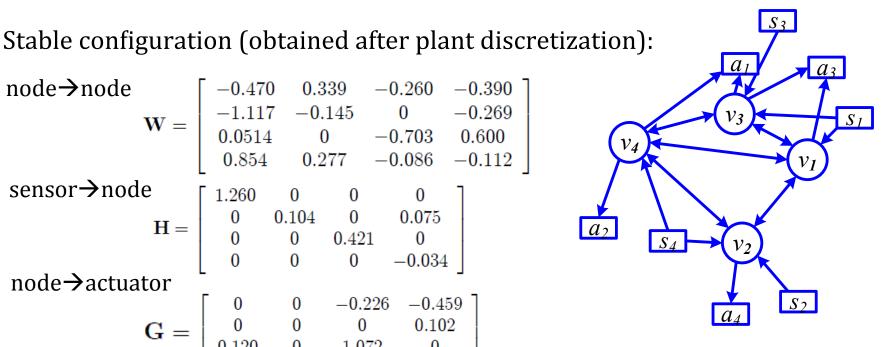


- Distillation column control
  - Plant model contains 8 states, 4 inputs, 4 outputs
- WCN contains 4 nodes

sensor
$$\rightarrow$$
node 
$$H = \begin{bmatrix} 1.260 & 0 & 0 & 0 \\ 0 & 0.104 & 0 & 0.075 \\ 0 & 0 & 0.421 & 0 \\ 0 & 0 & 0 & -0.034 \end{bmatrix}$$

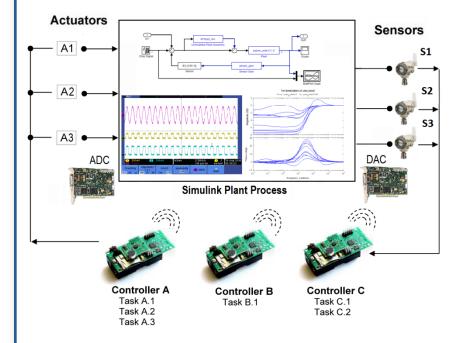
node → actuator

ator 
$$\mathbf{G} = \begin{bmatrix} 0 & 0 & 0 & -0.034 \\ 0 & 0 & -0.226 & -0.459 \\ 0 & 0 & 0 & 0.102 \\ 0.120 & 0 & 1.072 & 0 \\ 0 & 2.549 & 0 & 0 \end{bmatrix}$$

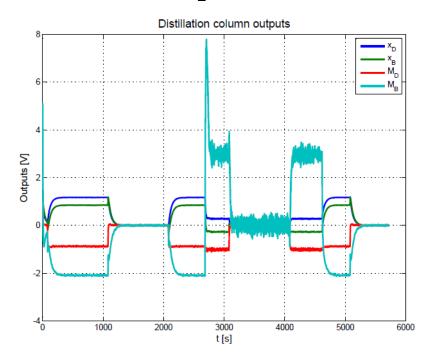


Network topology

#### Process-in-the-loop test-bed

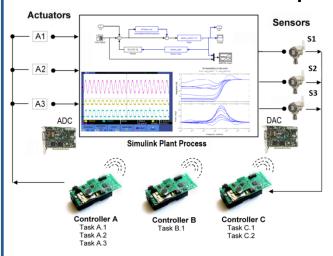


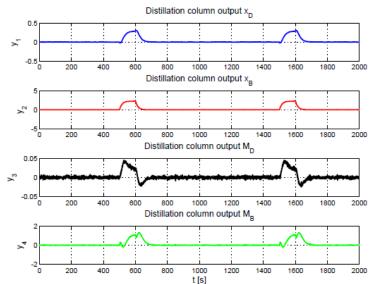
#### Scenario I: v<sub>1</sub> turned OFF/ON



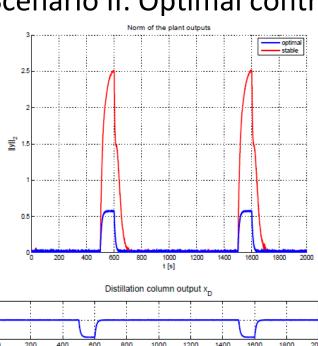


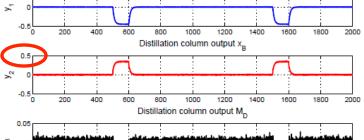
#### Process-in-the-loop test-bed

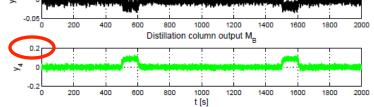




#### Scenario II: Optimal control







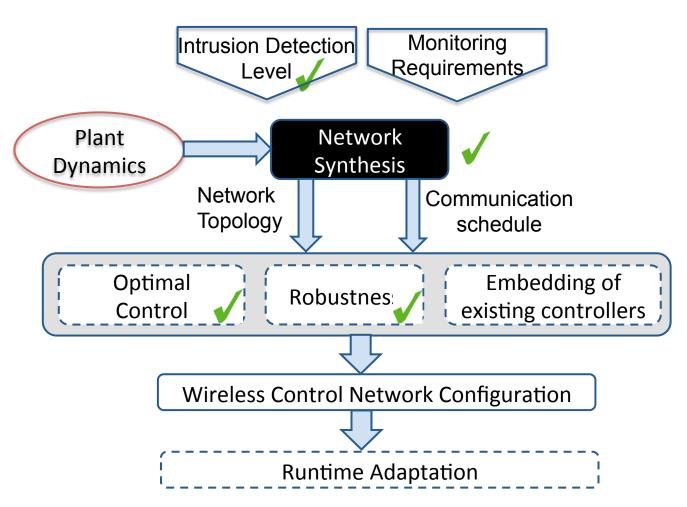
# Winners of the Honeywell Users Group 2011 Industrial Wireless Competition





PRECISE Ph.D. Student: Miroslav Pajic. Embedded Sys MS Student: Harsh Jain

#### Controller-as-a-Service with Wireless Control Networks





# Thank You







# **Demo**





